

Field Theory Equations:

Gravity	Electric
<p>Force: $F_G = G \frac{m_1 m_2}{r^2}$</p> <p>$F_G$ - Force of gravity (of attraction) (N) G - $6.67 \times 10^{-11} \text{ Nm}^2 \text{ kg}^{-2}$ r - distance separating centers (m) $m_{1\&2}$ - the two masses (kg)</p> <p>Field: $g = \frac{F}{m}$</p> <p>g - gravitational field strength (N/kg) F - force exerted by field on the mass (N) m - the mass (kg)</p> <p>$g = G \frac{M}{r^2}$</p> <p>g - g near a point mass <u>toward</u> mass (N/kg) G - $6.67 \times 10^{-11} \text{ Nm}^2 \text{ kg}^{-2}$ M - the mass (kg) r - distance from the point mass (m)</p>	<p>Force: $F_E = k \frac{q_1 q_2}{r^2}$</p> <p>$F_E$ - Coulomb Force (of repulsion) (N) k - $8.99 \times 10^9 \text{ Nm}^2 \text{ C}^{-2}$ r - distance separating centers (m) $q_{1\&2}$ - the two charges (C)</p> <p>Field: $E = \frac{F}{q}$</p> <p>E - electric field strength (N/C) F - force exerted by field on charge (N) q - the charge (C)</p> <p>$E = k \frac{q}{r^2}$ (not in data packet)</p> <p>E - E near a point charge <u>away</u> from charge (N/C) k - $8.99 \times 10^9 \text{ Nm}^2 \text{ C}^{-2}$ q - the charge (C) r - distance from the point charge (m)</p>
<p>Energy: $E_p = mV_g$</p> <p>E_p - gravitational potential energy (J) V_g - gravitational potential (J/kg) m - the mass (kg)</p> <p>$W = m\Delta V_g$</p> <p>W - work required to move a mass (J) ΔV_g - change in gravitational potential (J/kg) $\Delta V = (V_{\text{final}} - V_{\text{initial}})$ m - the mass (kg)</p>	<p>Energy: $E_p = qV_e$</p> <p>E_p - electrical potential energy (J) V_e - electrical potential (J/C or Volts) q - the charge (C)</p> <p>$W = q\Delta V_e$</p> <p>W - work required to move a charge (J) ΔV_e - change in electrical potential (J/C or Volts) $\Delta V = (V_{\text{final}} - V_{\text{initial}})$ q - the charge (C)</p>
<p>Potential: $V_g = -\frac{GM}{r}$</p> <p>V_g - gravitational potential near a point mass (J/kg) G - $6.67 \times 10^{-11} \text{ Nm}^2 \text{ kg}^{-2}$ M - the mass (kg) r - distance from the mass (m)</p> <p>$g = -\frac{\Delta V_g}{\Delta r}$</p> <p>$g$ - gravitational field strength (N/kg) ΔV_g - change in gravitational potential (J/kg) Δr - displacement in direction of the field (m)</p>	<p>Potential: $V_e = \frac{kq}{r}$</p> <p>V_e - electrical potential near a point charge (J/C or Volts) k - $8.99 \times 10^9 \text{ Nm}^2 \text{ C}^{-2}$ q - the charge (C) r - distance from the charge (m)</p> <p>$E = -\frac{\Delta V_e}{\Delta r}$</p> <p>$E$ - Electric field strength (N/C or V/m) ΔV_e - change in electrical potential (J/C or Volts) Δr - displacement in direction of the field (m)</p>
<p>$E_p = -\frac{GMm}{r}$</p> <p>E_p - gravitational potential energy of two masses (J) G - $6.67 \times 10^{-11} \text{ Nm}^2 \text{ kg}^{-2}$ M, m - the two masses (kg) r - distance separating centers (m)</p>	<p>$E_p = \frac{kq_1 q_2}{r}$</p> <p>E_p - electrical potential energy of two charges (J) k - $8.99 \times 10^9 \text{ Nm}^2 \text{ C}^{-2}$ $q_{1\&2}$ - the two charges (C) r - distance separating centers (m)</p>